Introduction

For Parents and Teachers

Mathematics 7 combines proven teaching methods with colorful pictures and illustrations to teach students basic math facts and concepts. Its use of practical applications helps students relate to math in the real world. Its incremental approach and spiral review (teaching concepts in small increments and continuous review) make Mathematics 7 an effective math course. The consistent, systematic review helps students retain what they have learned. The goal is mastery, not just exposure.

How to Use Mathematics 7

Each **unit** follows a theme, introduced by a story and photographs relating to the theme. Many nuggets of information follow the theme.

The **header** in each lesson tells what unit and lesson is taught that day. It also tells which speed drill or mastery drill to administer.

The **colored teaching box** beginning each lesson teaches the new concept, followed by exercises to reinforce the concept. This concept is reviewed again just before *Sharpening Your Skills*.

Applying Your Skills follows the teaching lesson and its reviews. It also reviews concepts taught in earlier lessons. Students should be able to work through these exercises independently. A small reference number after each exercise indicates the page number where the concept was taught.

Sharpening Your Skills drills students in basic computation (using any of the four math operations), mental math, and fact focus. *Fact Focus* drills basic math facts and measurement equivalents.

Lessons 5, 10, and **16** of each unit are quiz or test lessons. Most material has been reviewed five times before it is quizzed or tested. Quiz and test lessons include optional enrichment activities, which are neither reviewed nor tested. They are optional and just for fun.

The **Glossary, Reference Charts,** and **Index** are reference materials to help students work independently.

Mathematics 7 equips students with tools that help them apply math principles to everyday life. It enables students to see the beauty in numbers and to learn to appreciate math. We believe that mathematics should help students achieve the ultimate goal—loving, serving, and bringing glory to God.

Course Materials

- Mathematics 7 Textbook
- Student Packet

Worksheets Speed/Mastery Drills

Quizzes

Tests

- Teacher's Guide Resource CD
- Full Solution Answer Key



Unit 2

Lesson 146
Dividing Decimals; Identifying Parts of a Circle
Lesson 2
Lesson 3
Lesson 455 Making a Tally Chart
Lesson 5
Lesson 6
Lesson 7
Lesson 8

Lesson 9
Lesson 10
Lesson 11
Lesson 12
Lesson 13
Lesson 14
Lesson 15
Lesson 16



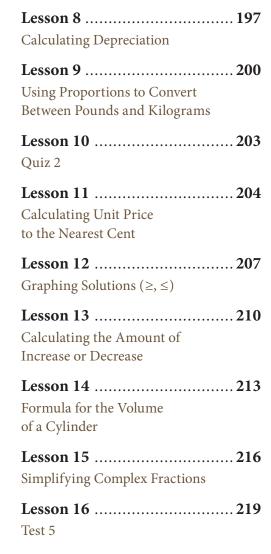




Unit 5



Lesson 1
Lesson 2
Lesson 3
Lesson 4
Lesson 5
Lesson 6
Lesson 7









Unit 9



Lesson 1	354
Constructing Parallel Lines	
Lesson 2	357
Making a Table of Values	
Lesson 3	360
Calculating Operating Expenses	
Lesson 4	363
Choosing Appropriate	
Graphs to Display Data	
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Quiz 1	
Lesson 6	367
Venn Diagram for	
Intersection of Sets	
Lesson 7	370
Graphing Linear Relations	
Lesson 8	373
Disjoint Sets and the Empty Set	
Lesson 9	376
Converting Bible Measures	
of Capacity to Standard Measures	

Lesson 10	9
Lesson 11	80
Lesson 12	3
Lesson 13	6
Lesson 14	9
Lesson 15	2
Lesson 16	5







Calendar Discoveries

Below are some interesting number observations about calendars. Read each observation. Try it to see if it works. If it works, try the observation with your own numbers to prove if it is always true. Write only the observations that are true.



Observation 1 Use the numbers from the brown boxes.

The sum of any two adjacent dates is always odd.

Observation 2 Use the numbers from the light gray boxes.

The sum of any three dates in a row is always even.

Observation 3 Use the numbers from the blue boxes.

The sum of any four dates in an L shape is ten times larger than the smallest date in the shape.

Observation 4 Use the numbers from the orange boxes.

Multiply the diagonals of any 2×2 square.

The difference between the two products is seven.

Observation 5 Use the numbers from the green boxes.

The sum of any diagonal stair-step shape of three dates is a multiple of three.

July 2015								
SUN	MON	TUES	WED	THUR	FRI	SAT		
			1	2	3	4		
5	6	7	8	9	10	11		
12	13	14	15	16	17	18		
19	20	21	22	23	24	25		
26	27	28	29	30	31			

Write each number using only digits.

Write each number using digits and words.

- 21. If Methuselah had lived until his 970th birthday, he would have been over 30,600,000,000 seconds old.
- **22.** If a cubit was 1.5 feet, Noah's ark had a volume of over 1,500,000 cubic feet.



Life Expectancy

The Bible says the life span of a person is threescore years and ten or possibly fourscore years. A score is twenty, so most people can expect to live 70 to 80 years. On average, women live 8 years longer than men.

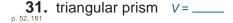
Write the equation for each word problem and solve.

- 23. Mike and Sally find a washer at an appliance store. Normally it costs \$339.99 but is reduced to \$288.99 because the side is dented. What percent is the reduced price of the normal price? Round to the nearest tenth of a percent.
- **24.** Sally finds a one-year-old washer advertised for \$125.00. How much would the Ulrichs save by buying the used washer rather than the damaged new one?
- **25.** Marlene starts 80% of her flowering plants from seed this year. If she has 55 flowering plants, how many does she start from seed? Use the fractional equivalent for the percent.

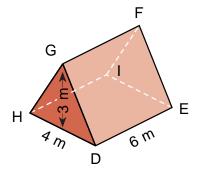
Use a compass and a straightedge to construct each line segment. Use Worksheet 38.

Write the name of each part of the solid. edge face vertex

Write the formula and find the measurement of each figure.



32.
$$\triangle XYZ$$
 m $\angle X = 105^{\circ}$ m $\angle Y = 35^{\circ}$ m $\angle Z = ____^{\circ}$

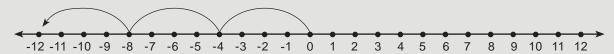


Multiplying Numbers When the Signs Are Different

Multiplying Numbers When the Signs Are Different

Multiplication is repeated addition. To multiply numbers when the signs are different, multiply the two factors. The product is always a negative answer.

$$-4 \times 3 = -12$$



 $3 \times -4 = -12$

$$\frac{2}{3} \cdot (-\frac{1}{5}) = -\frac{2}{15}$$
 $-\frac{1}{2} \cdot \frac{1}{4} = -\frac{1}{8}$

$$-\frac{1}{2} \cdot \frac{1}{4} = -\frac{1}{8}$$

Multiply. Notice the pattern.

Copy and simplify each expression.

11.
$$\frac{1}{3} \cdot (-\frac{2}{3})$$

13.
$$\frac{2}{9} \cdot (-\frac{4}{5})$$

Applying Your Skills

Use a compass and a straightedge to construct each angle. Use Worksheet 46.

Find the unit price of each item. Round to the nearest cent.



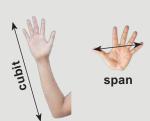
17. binder clips 24 clips for \$9.79

Converting Bible Measures of Length

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In Bible times, the **cubit** was a common unit of length. It measured the distance from a man's elbow to the end of his fingers.

Another unit, the span, was the distance between the end of the thumb and the end of the little finger with the hand stretched out. It was about half of a cubit.



In the New Testament, large distances are given in stadia, translated furlongs. In Bible times, a furlong was about 606 feet or 185 meters. Today a furlong is considered about $\frac{1}{8}$ mile or 660 feet.

The word *mile* is used only once in the New Testament. Matthew 5:41 says, "And whosoever shall compel thee to go a mile, go with him twain." This was a Roman mile and is a little shorter than our mile.

8 cubits
$$\approx n$$
 feet
$$\frac{1 \text{ cubit}}{1.5 \text{ feet}} \approx \frac{8 \text{ cubits}}{n \text{ feet}}$$
1.5 × 8 ÷ 1 = 12
$$n \approx 12 \text{ feet}$$

1 cubit $\approx 1\frac{1}{2}$ feet 1 cubit ≈ 18 inches 1 cubit ≈ 0.5 meter 1 span ≈ 9 inches 1 span ≈ 0.25 meter 1 furlong $\approx \frac{1}{8}$ mile 1 furlong ≈ 660 feet

Set up a proportion to convert Bible measures to standard measures.

Read the verses and write the answer for each blank. Round to the nearest whole number.



- 1. The Bible says Goliath was ____ cubits and ____ span tall. 1 Samuel 17:4
- **2.** Goliath was about ____ feet and ____ inches tall. 1 cubit $\approx 1\frac{1}{2}$ feet 1 span ≈ 9 inches
- **3.** God told Noah to make the ark ____ cubits long, ____ cubits wide, and ____ cubits high. Genesis 6:15
- **4.** The ark was about ____ meters long, ____ meters wide, and ____ meters tall. 1 cubit ≈ 0.5 meters
- **5.** From Jerusalem to Emmaus was _____ furlongs. Luke 24:13 A score is 20.
- **6.** From Jerusalem to Emmaus was about ____ miles. 1 furlong $\approx \frac{1}{8}$ mile